Non-Parametric Few-Shot Learning CS 330

Course Reminders

- Homework 1 due tonight.
- Homework 2 released, due Mon 10/24.
- Project mentors to be assigned this week.
 - Project proposal due next Weds 10/19. (graded lightly, for your benefit)

Plan for Today

Non-Parametric Few-Shot Learning

- Siamese networks, matching networks, prototypical networks
- Case study of few-shot student feedback generation

Properties of Meta-Learning Algorithms - Comparison of approaches

Example Meta-Learning Applications - Imitation learning, drug discovery, motion prediction,

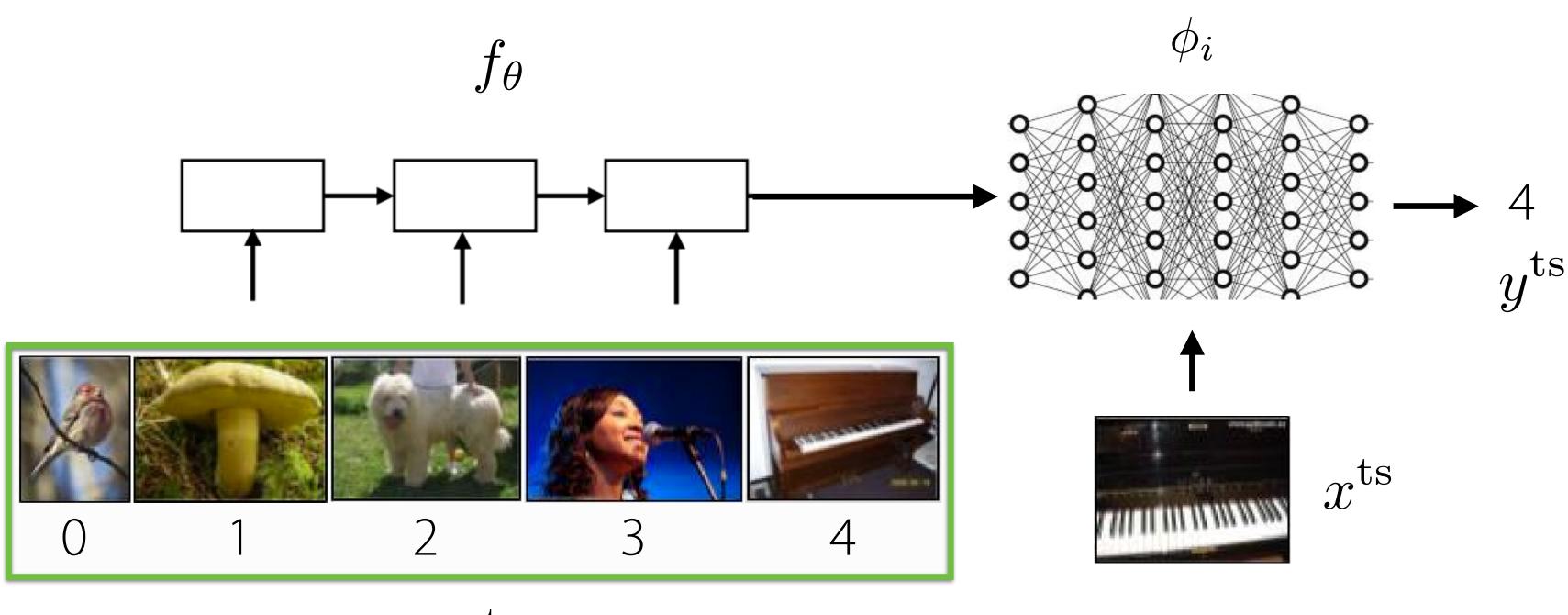
language generation

Goals for by the end of lecture:

- Trade-offs between black-box, optimization-based, and non-parametric meta-learning Familiarity with applied formulations of meta-learning
- Basics of non-parametric few-shot learning techniques (& how to implement)



Recap: Black-Box Meta-Learning



 $\mathcal{D}_i^{ ext{tr}}$

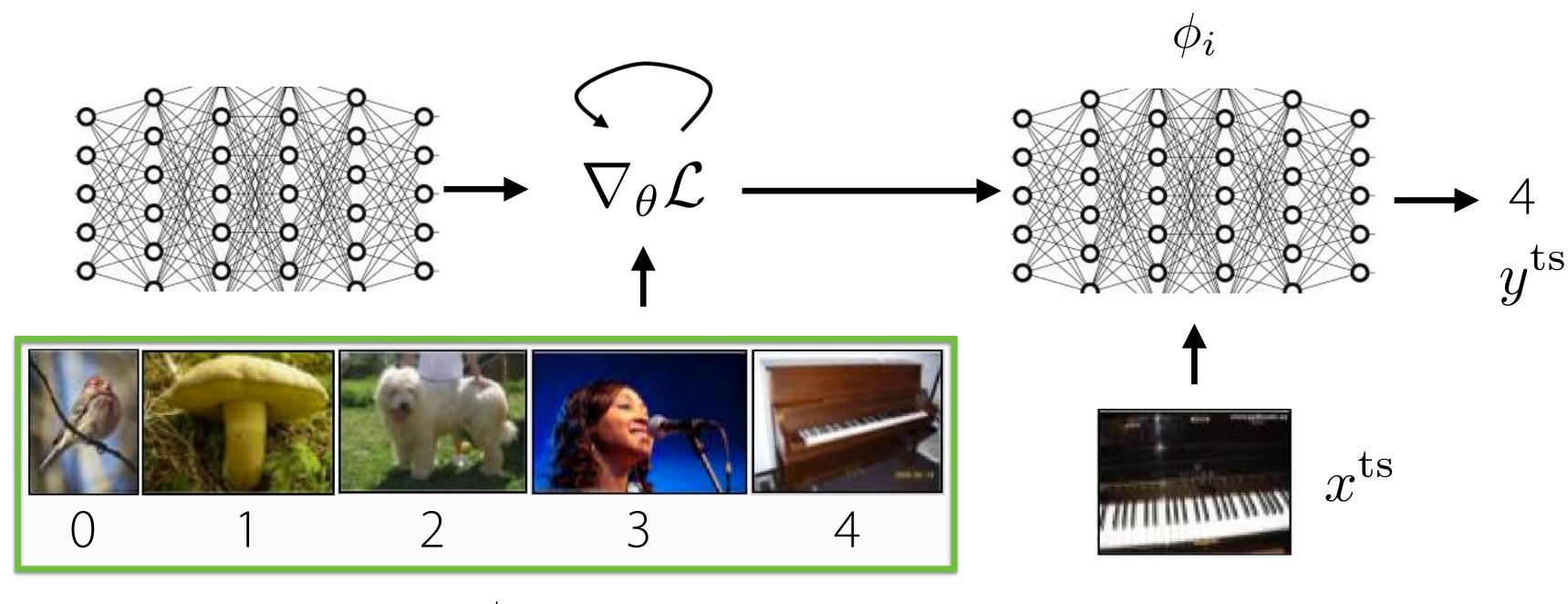
+ expressive



Key idea: parametrize learner as a neural network

- challenging optimization problem

Recap: Optimization-Based Meta-Learning



 $\mathcal{D}_i^{ ext{tr}}$

+ structure of optimization embedded into meta-learner

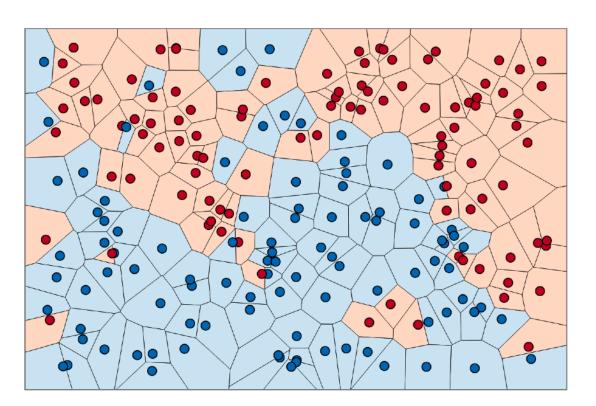
Today: Can we embed a learning procedure *without* a second-order optimization?

Key idea: embed optimization inside the inner learning process

- typically requires second-order optimization

In low data regimes, **non-parametric** methods are simple, work well.

So far: Learning parametric models.

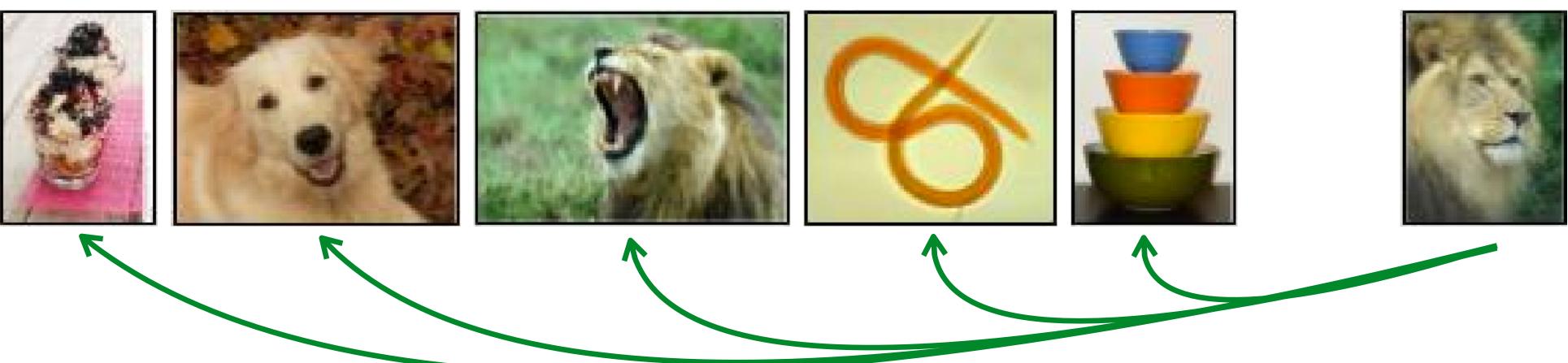


- During **meta-test time**: few-shot learning <-> low data regime
 - During **meta-training**: still want to be parametric

- Can we use **parametric meta-learners** that produce effective **non-parametric learners**?
 - Note: some of these methods precede parametric approaches

Key Idea: Use non-parametric learner.

training data $\mathcal{D}_i^{\mathrm{tr}}$



In what space do you compare? With what distance metric?

 ℓ_2 distance in pixel space?



test datapoint x^{ts}

Compare test image with training images

In what space do you compare? With what distance metric? ℓ_2 distance in pixel space?

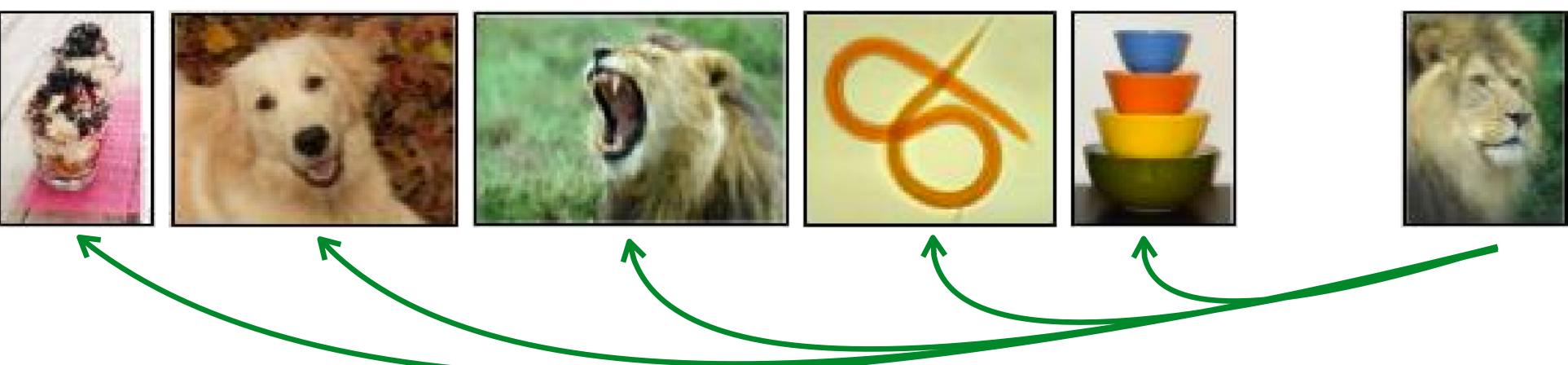


Zhang et al. (arXiv 1801.03924)



Key Idea: Use non-parametric learner.

training data $\mathcal{D}_i^{\mathrm{tr}}$



stance in pixel space?

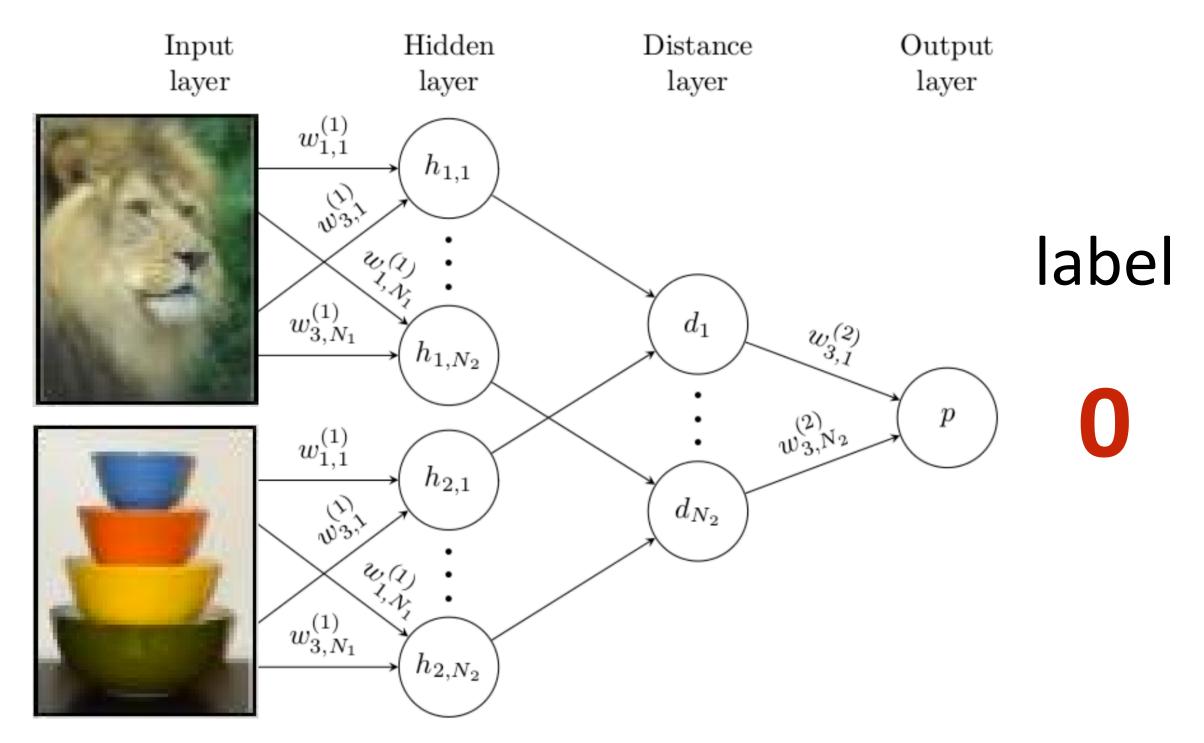
Question: What distance metric would you use instead?

Idea: Learn to compare using meta-training data

test datapoint x^{ts}

Compare test image with training images In what space do you compare? With what distance metric?

Key Idea: Use non-parametric learner.

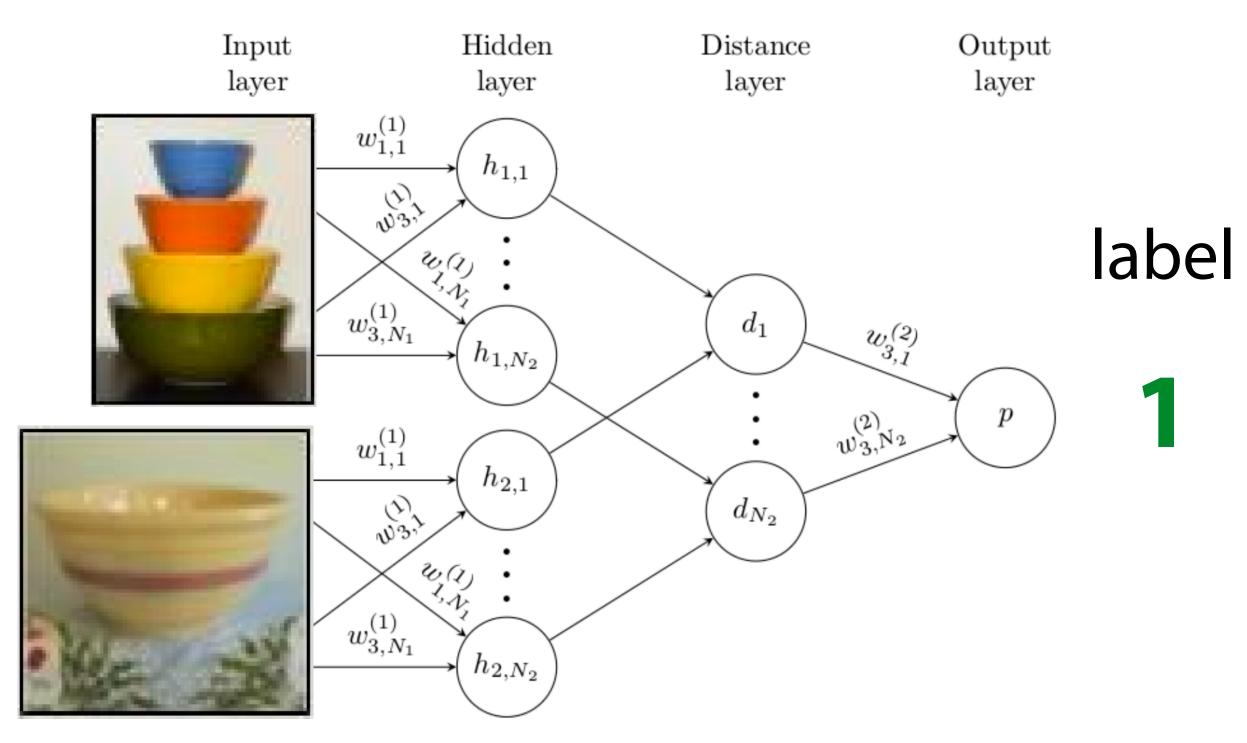


train Siamese network to predict whether or not two images are the same class

Koch et al., ICML '15



Key Idea: Use non-parametric learner.

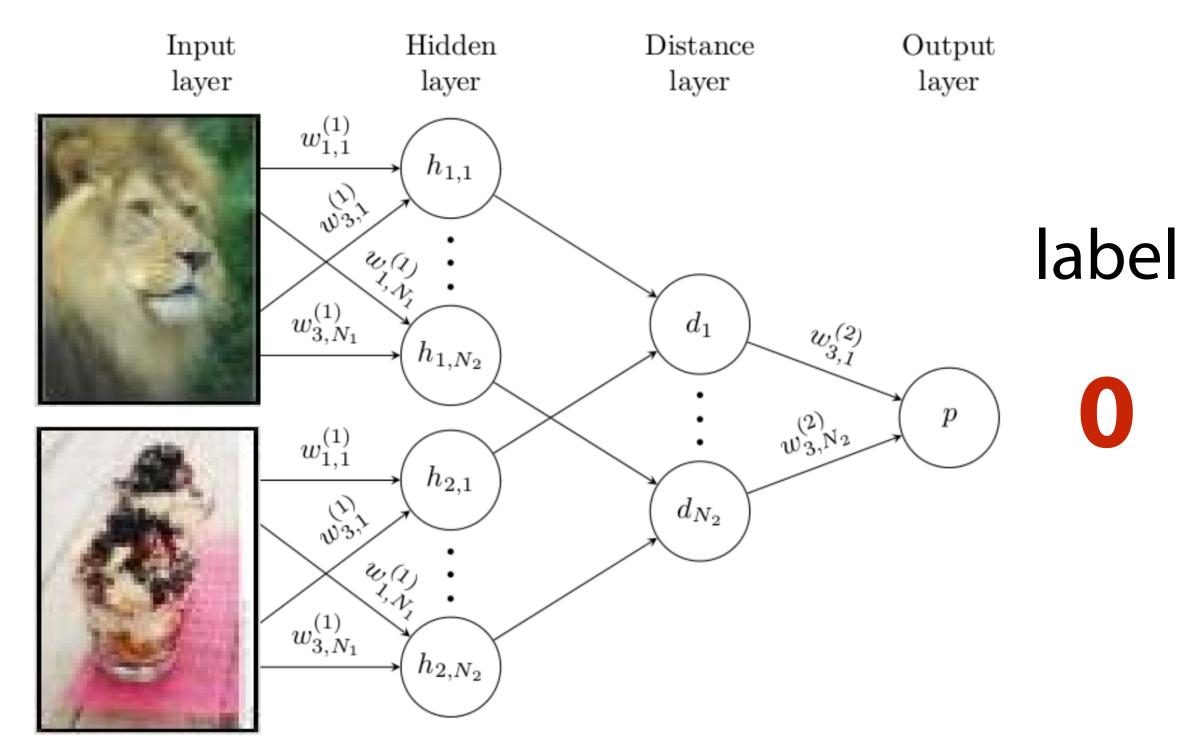


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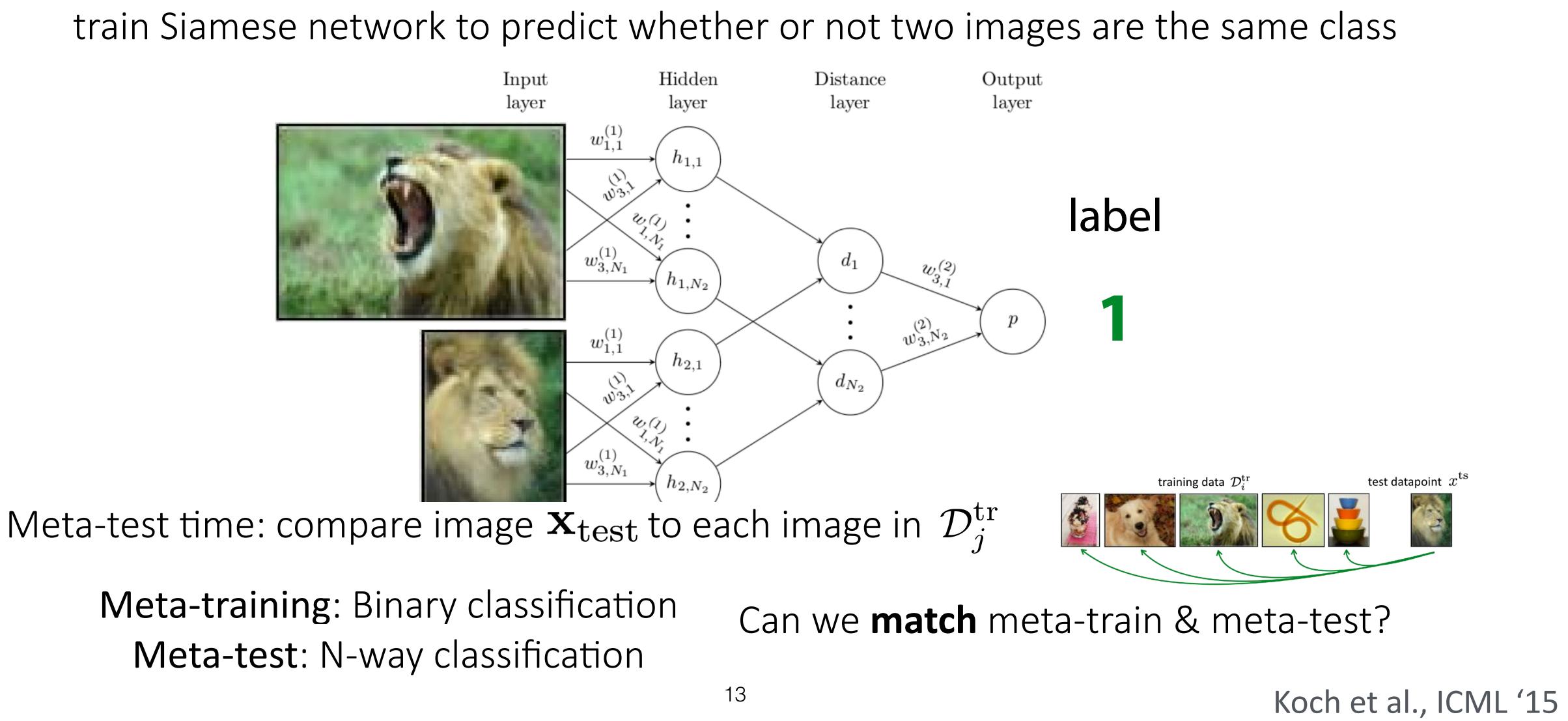


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Koch et al., ICML '15



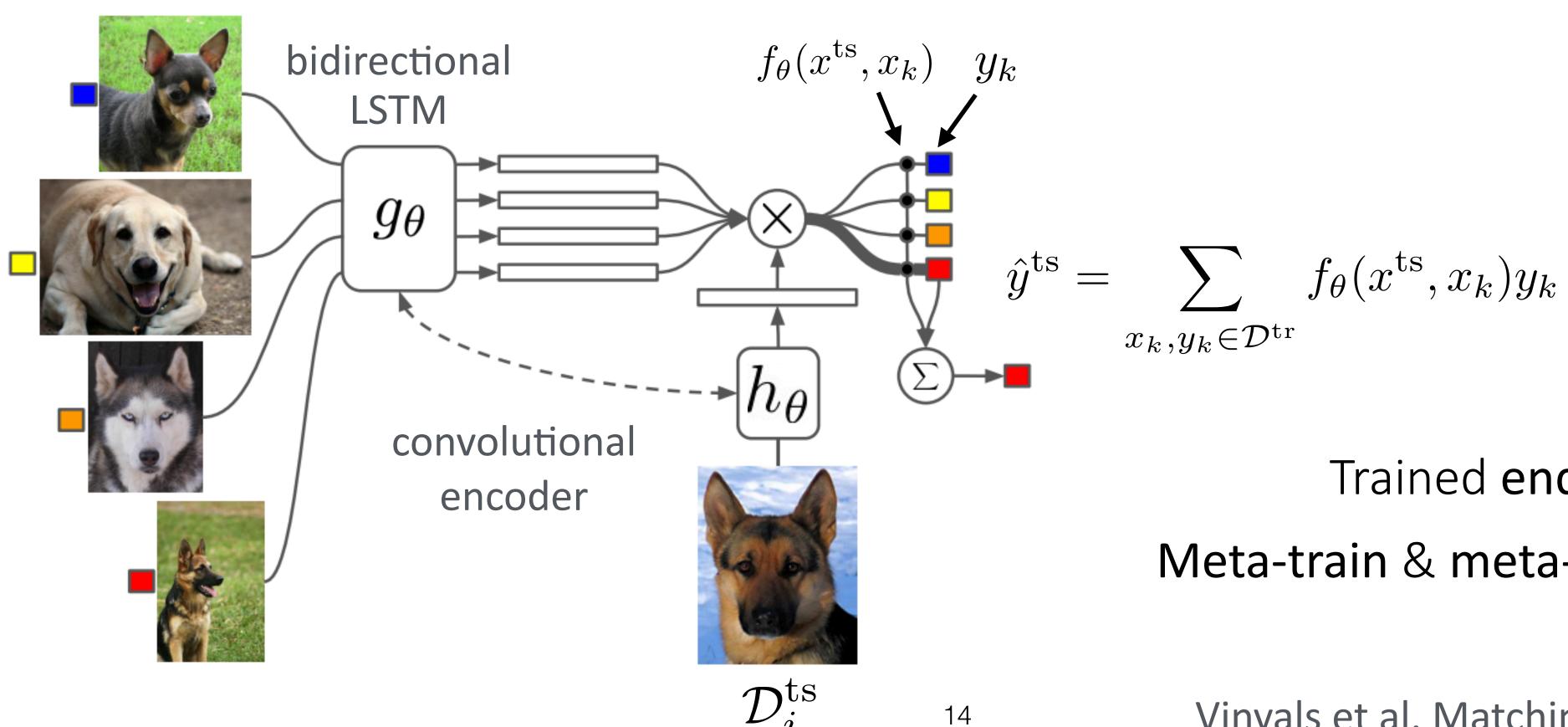
Key Idea: Use non-parametric learner.



Meta-training: Binary classification **Meta-test**: N-way classification

Key Idea: Use non-parametric learner.

 $\mathcal{D}_i^{ ext{tr}}$



Can we **match** meta-train & meta-test? Nearest neighbors in learned embedding space

Trained end-to-end.

Meta-train & meta-test time match.

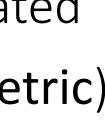
Vinyals et al. Matching Networks, NeurIPS '16



Key Idea: Use non-parametric learner.

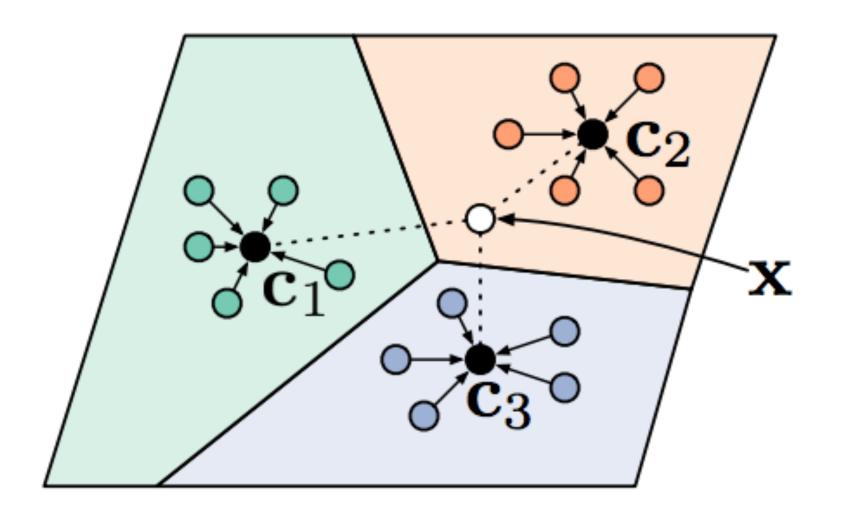
General Algorithm:

Black box approach Non-parametric approach (matching networks) 1. Sample task \mathcal{T}_i (or mini batch of tasks) 2. Sample disjoint datasets $\mathcal{D}_i^{\text{tr}}, \mathcal{D}_i^{\text{test}}$ from \mathcal{D}_i (Parameters ϕ integrated 3. Compute $\phi_i \leftarrow f_{\theta}(\mathcal{D}_i^{\text{tr}})$ Compute $\hat{y}^{\text{ts}} = \sum_{x_k, y_k \in \mathcal{D}^{\text{tr}}} f_{\theta}(x^{\text{ts}}, x_k) y_k$ 4. Update θ using $\nabla_{\theta} \mathcal{L}(\phi_i, \mathcal{D}_i^{\text{test}})$ Update θ using $\nabla_{\theta} \mathcal{L}(\hat{y}^{\text{ts}}, y^{\text{ts}})$ out, hence non-parametric) Matching networks will perform comparisons independently What if >1 shot? Can we aggregate class information to create a prototypical embedding?





Key Idea: Use non-parametric learner.



 $p_{\theta}($

$$\mathbf{c}_{n} = \frac{1}{K} \sum_{(x,y)\in\mathcal{D}_{i}^{\mathrm{tr}}} \mathbb{1}(y=n) f_{\theta}(x)$$
$$y = n|x) = \frac{\exp(-d\left(f_{\theta}(x), \mathbf{c}_{n}\right))}{\sum_{n'} \exp(d(f_{\theta}(x), \mathbf{c}_{n'}))}$$

d: Euclidean, or cosine distance

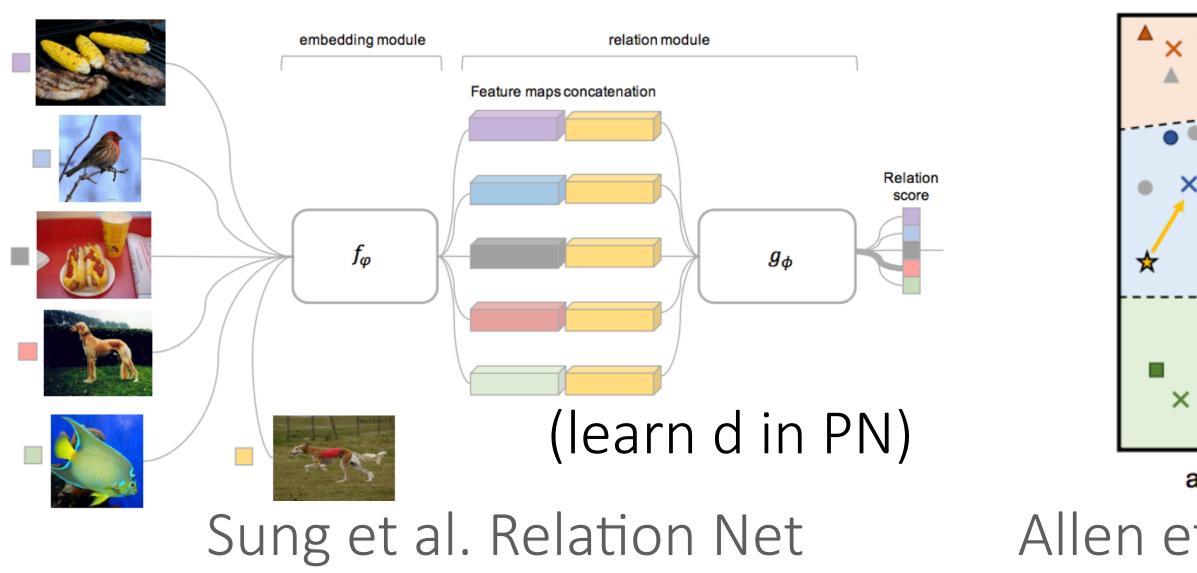
Snell et al. Prototypical Networks, NeurIPS '17



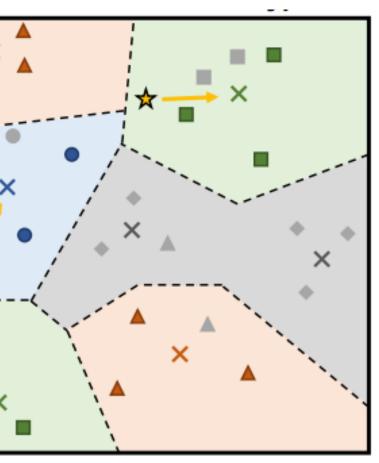
So far: Siamese networks, matching networks, prototypical networks Embed, then nearest neighbors.

Challenge

Idea: Learn non-linear relation module on embeddings

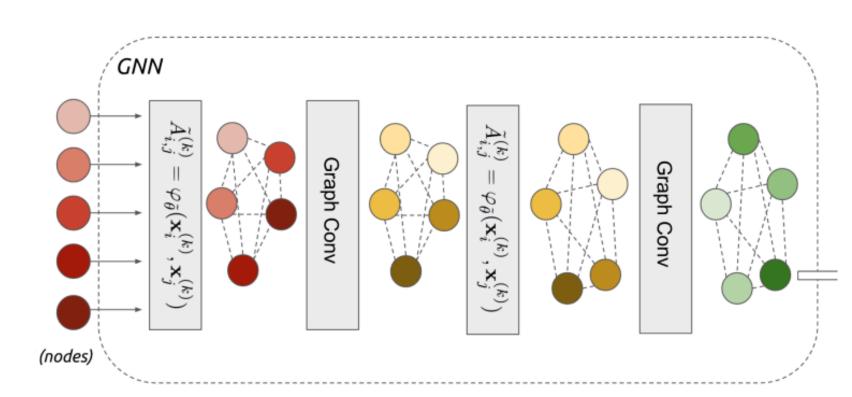


- What if you need to reason about more complex relationships between datapoints?
 - Idea: Learn infinite mixture of prototypes.



adaptive number of clusters

Idea: Perform message passing on embeddings



Garcia & Bruna, GNN

Previous Year's Case Study

Prototypical Clustering Networks for Dermatological Image Classification

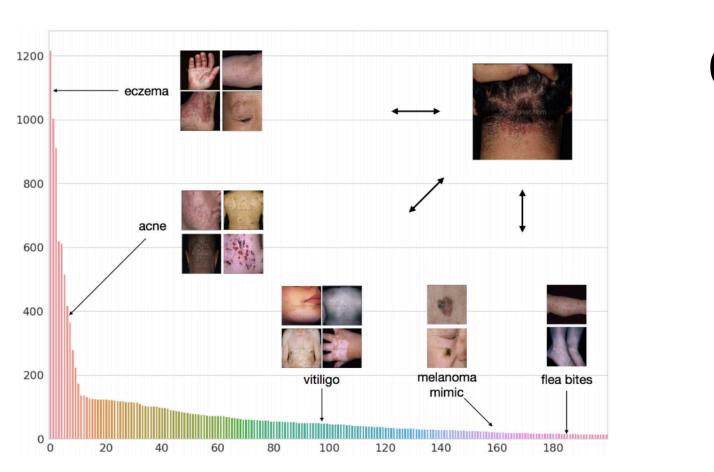
Viraj Prabhu *,1

Murali Ravuri³ Manish Chablani³ Anitha Kannan³ David Sontag² Xavier Amatriain³ ¹Georgia Tech ³Curai ^{2}MIT {anitha, murali, manish, xavier}@curai.com

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Machine Learning for Healthcare Conference 2019 Link: https://arxiv.org/abs/1811.03066



- hard to get data Challenges:

- data is long-tailed

Goal:

Acquire accurate classifier on all classes

This Year's Case Study

Meta-Learning Student Feedback to 16,000 Solutions

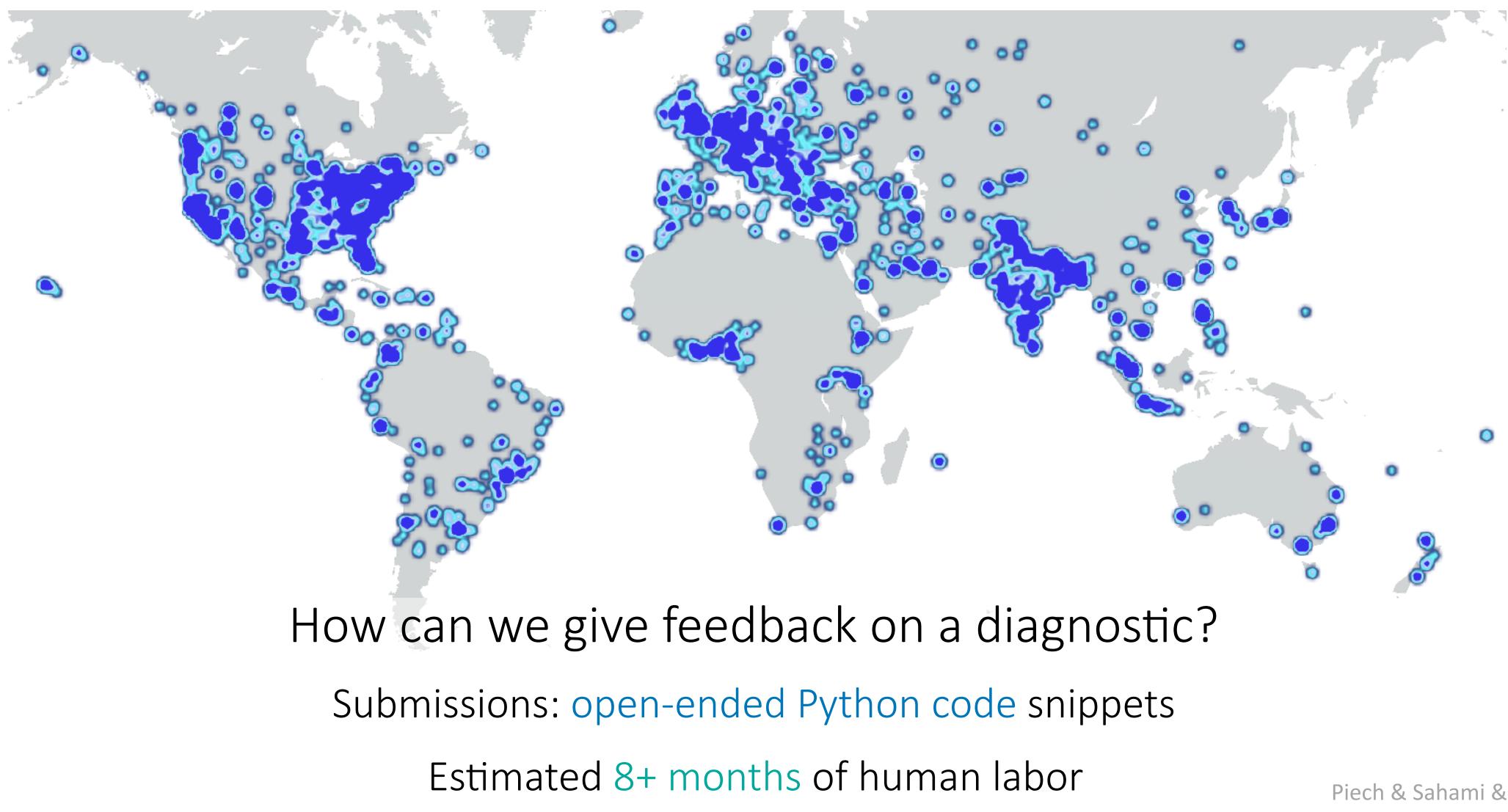
Mike Wu, Chris Piech, and Chelsea Finn

Links:

https://ai.stanford.edu/blog/prototransformer/ https://arxiv.org/abs/2107.14035

July 20, 2021

The Feedback Problem



Code-in-Place 2021: Free intro to CS course, 12,000+ students from 150+ countries

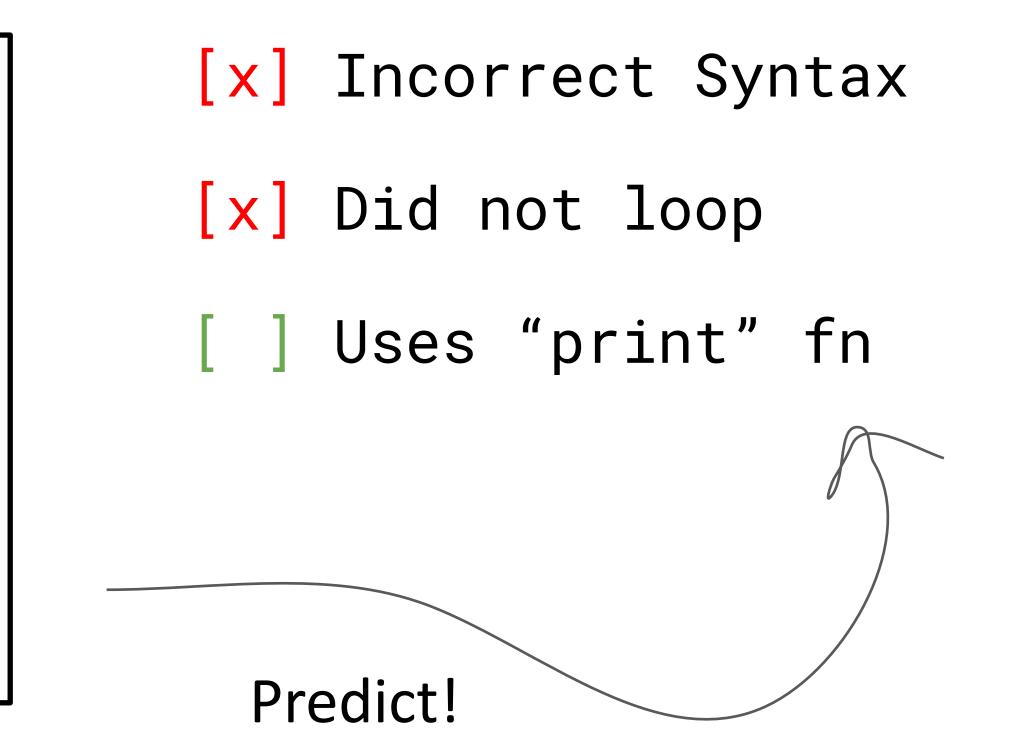
Piech & Sahami & Zelenski, **Stanford University**



• Train a model to infer student misconceptions, y, from the student solution, x.

```
# print 1 to n w/ loop
def my_solution(n)
    print(1)
    print(2)
    print(3)
```

Same rubrics that instructors use to give their feedback.





Why is this a hard problem for ML?

consuming.

Example: annotating 800 blockly codes took 25 hrs

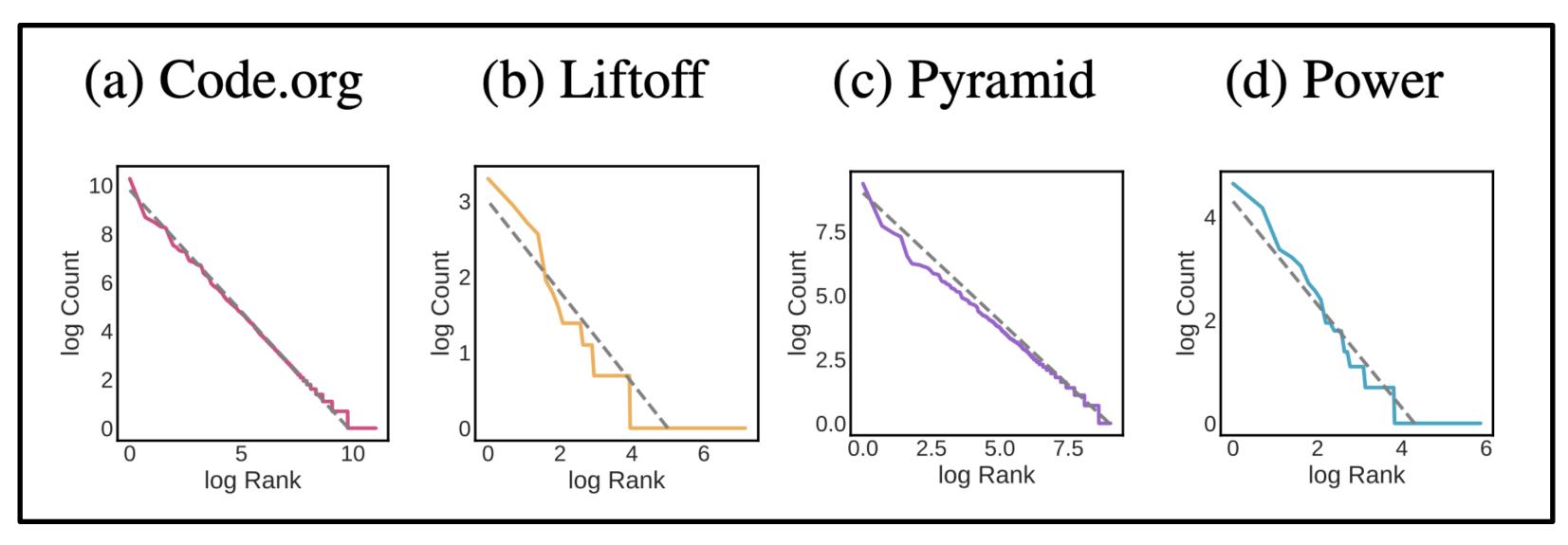


Limited annotation: grading student work takes expertise and is very time



Why is this a hard problem for ML?

- consuming.



Limited annotation: grading student work takes expertise and is very time

Long tailed distribution: students solve the same problem in many *many* ways.

Generative Grading: Neural Approximate Parsing for Verifiable Automated Student Feedback (Malik et. al. 2020)



Why is this a hard problem for ML?

- consuming.
- Student solutions and instructor feedback look <u>different</u> year to year.

Limited annotation: grading student work takes expertise and is very time

Long tailed distribution: students solve the same problem in many *many* ways. **Changing curriculums:** instructors constantly <u>edit</u> assignments and exams.



Framing it as a Meta-Learning Problem

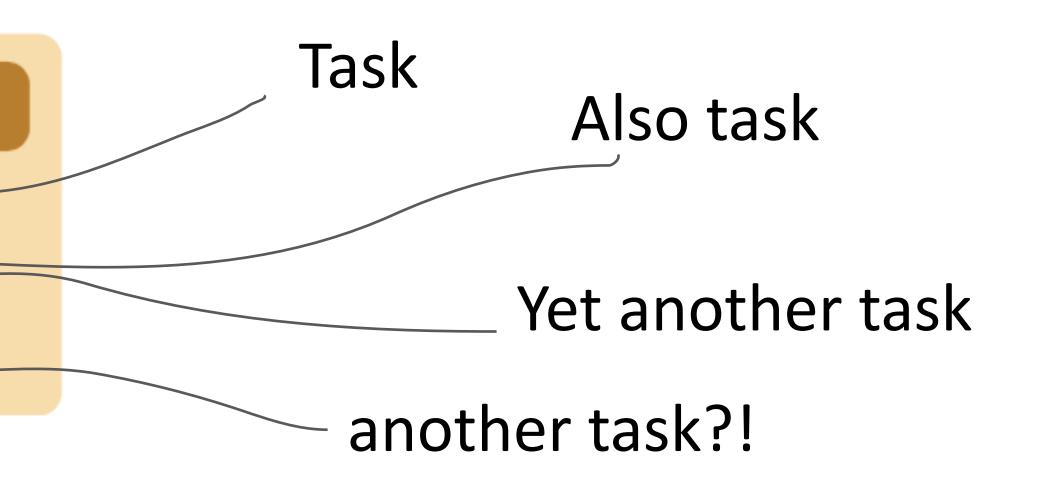
Meta-Training Dataset: 4 final exams and 4 midterm exams from CS106.

- 63 questions and 24.8k student solutions.
- Every student solution has feedback via a rubric.
- A rubric has several items. Each item has several options that you may pick as true. More than one option can be true.
- Every problem has its own (possibly unique) rubric items and options.

Rubric Item: String Insertion

Perfect

- Incorrectly gets character to insert
- Incorrectly assumes one digit
- Doesn't insert character at correct place





ProtoTransformer

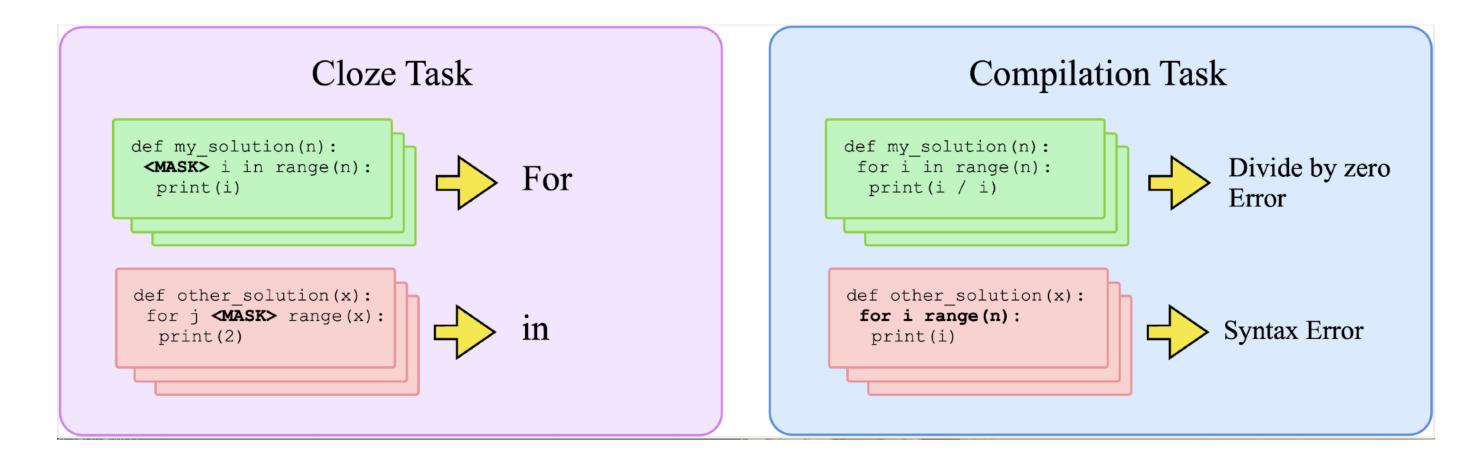
$$p_{\theta}(y = n | x) = \frac{\exp(-d\left(f_{\theta}(x), \mathbf{c}_n\right))}{\sum_{n'} \exp(d(f_{\theta}(x), \mathbf{c}_{n'}))}$$

- $x = (x_1, x_2, ..., x_T)$ is a sequence of discrete tokens (e.g. code, language). The embedding $f_{\Theta}: X \rightarrow R^d$ is a **RoBERTa model** (stacked transformers) where
- token embeddings are averaged into a single vector.
- Applying this out of the box fails.





Trick #1: Augment rubric tasks with self-supervised tasks

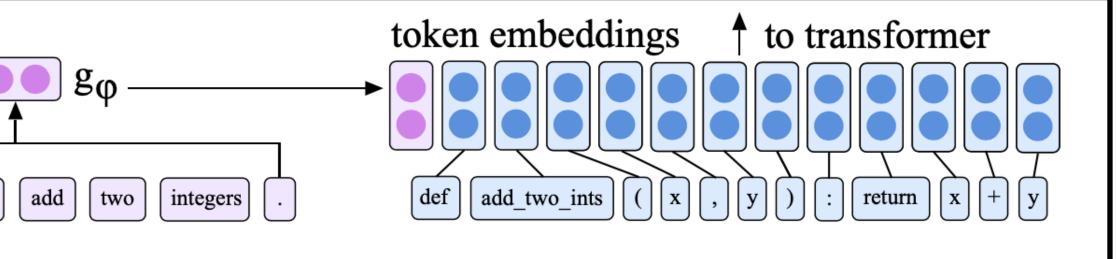


Trick #2: Reduce few-shot ambiguity by incorporating side information (rubric option name, question text)

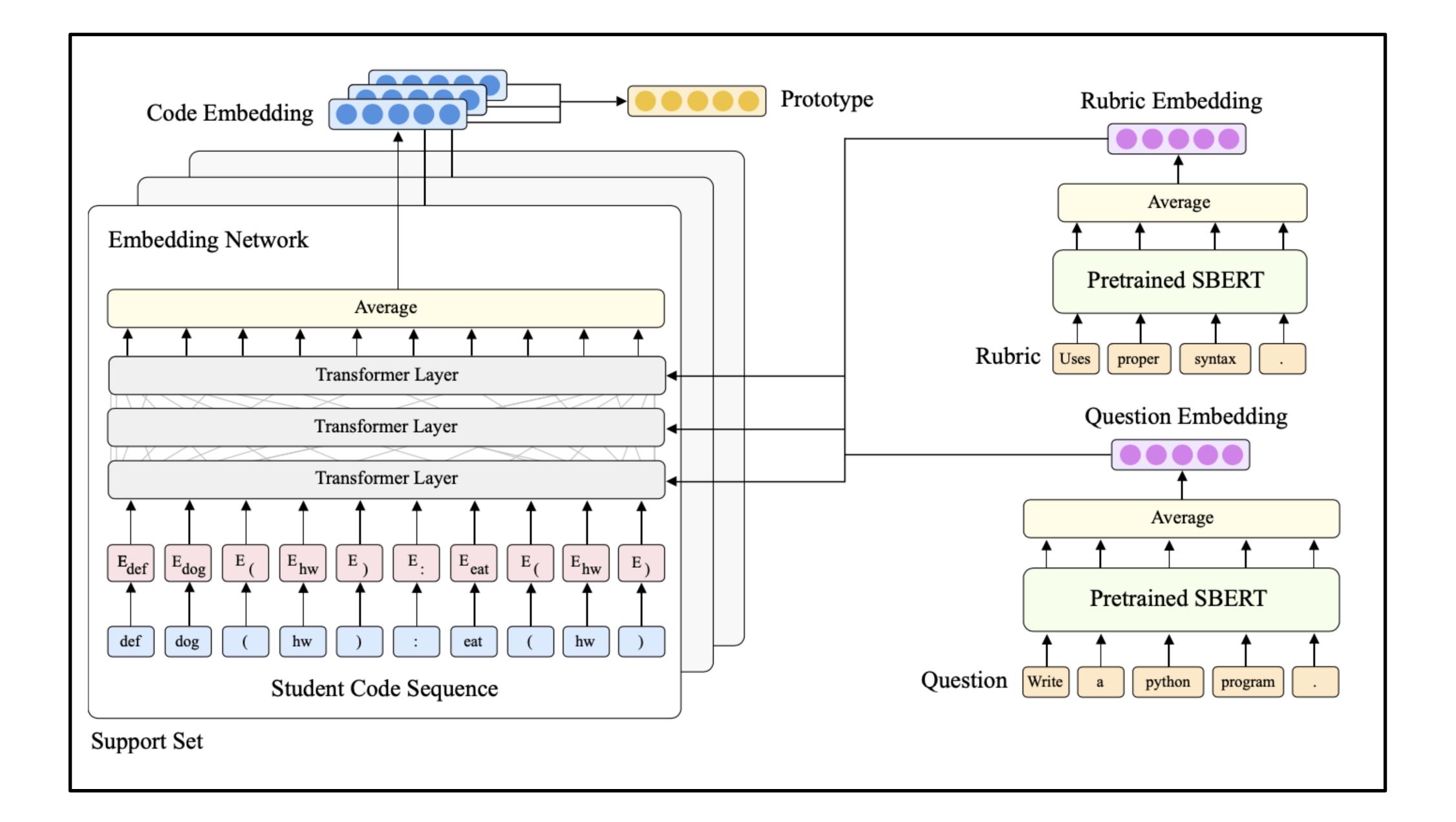
Side Information	
Write a program	to

Trick #3: Pre-train on unlabeled Python code.

CodeBERT: A Pre-Trained Model for Programming and Natural Languages (Feng et. al. 2020 CodeSearchNet Challenge: Evaluating the State of Semantic Code Search (Husain et.al. 2020)









Main Offline Results

	Held-out rubric									
Model	AP	P@50	P@75	ROC-AUC						
ProtoTransformer	84.2	85.2	74.2	82.9						
	(± 1.7)	(±3.8)	(± 1.4)	(±1.3)						
Supervised	66.9	59.1	53.9	61.0						
	(± 2.2)	(± 1.7)	(± 1.5)	(± 2.1)						
Human TA	82.5	_	—	_						
	Held-out exam									
Model	AP	P@50	P@75	ROC-AUC						
ProtoTransformer	74.2	77.3	67.3	77.0						
	(±1.6)	(± 2.7)	(± 2.0)	(± 1.4)						
Supervised	65.8	60.1	54.3	60.7						
_	(± 2.1)	(±3.0)	(± 1.8)	(±1.6)						
Human TA	82.5									

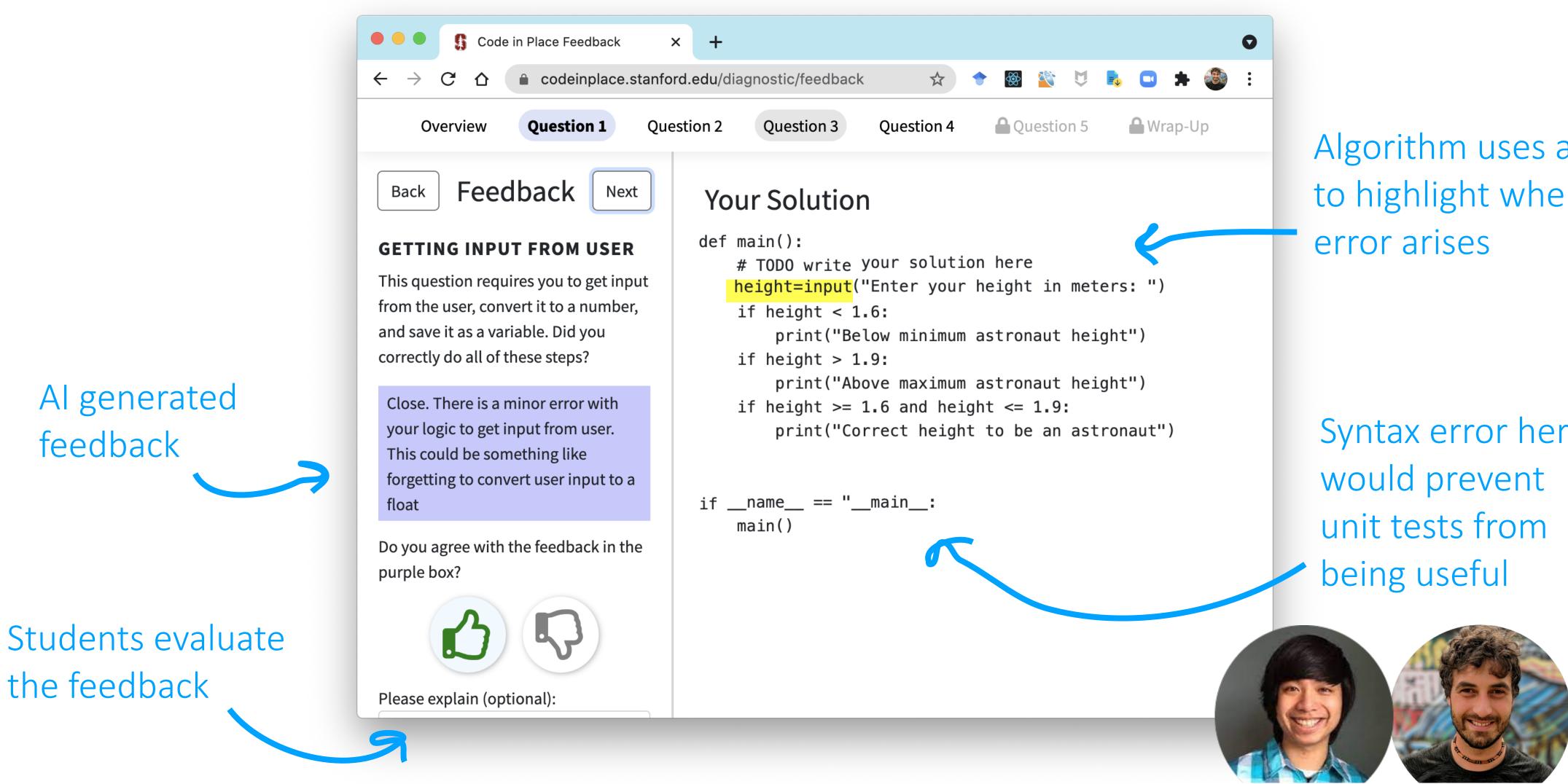
- Outperforms supervised learning by 8-17%
- More accurate than human TA on held-out rubric
- Room to grow on held-out exam





Live Deployment to Code-in-Place Students

May 10th, 2021: Students took diagnostic.



Algorithm uses attention to highlight where the

Syntax error here

UI designed by Alan Cheng & Chris Piech





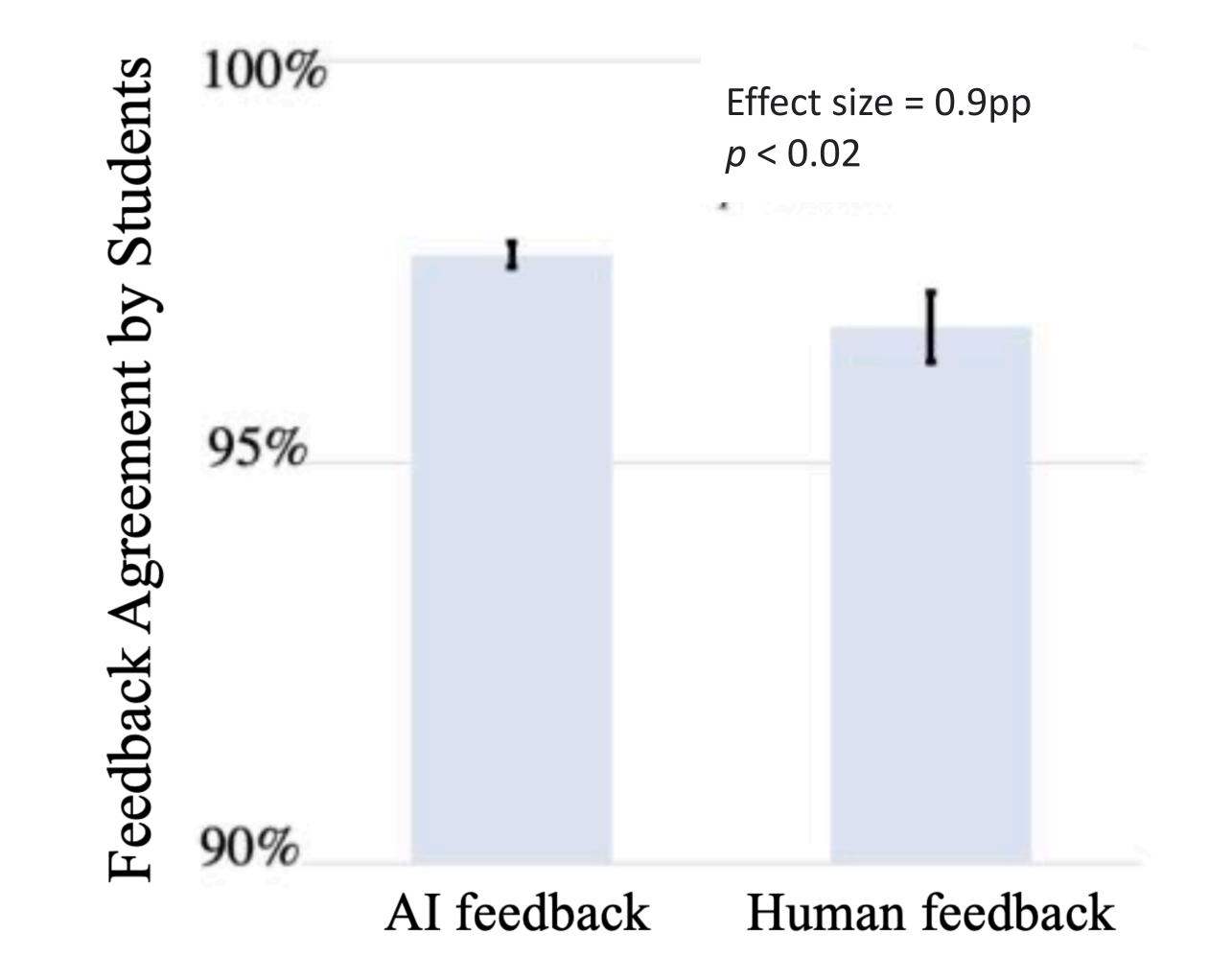
Blind, randomized trial with real students

Humans gave feedback ~1k answers. Al gave feedback on the remaining ~**15k**.

~2k could be auto-graded and were not included in analysis.

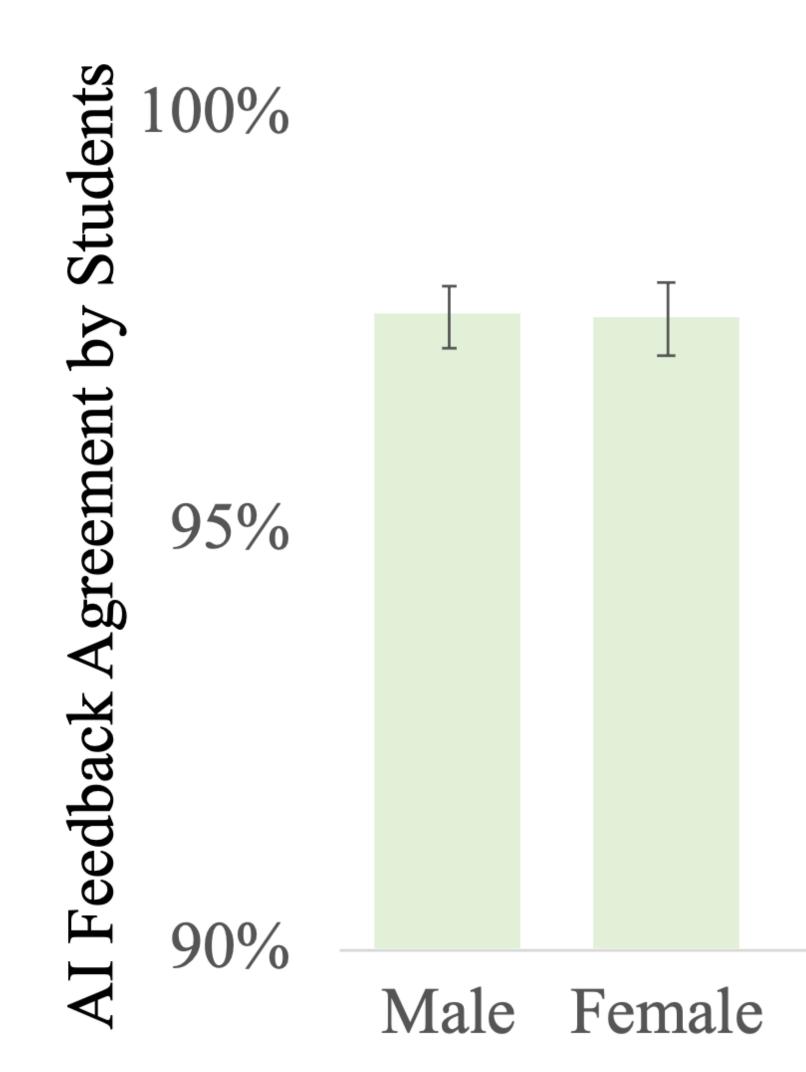
Humans gave good feedback. ML model gave slightly better feedback.

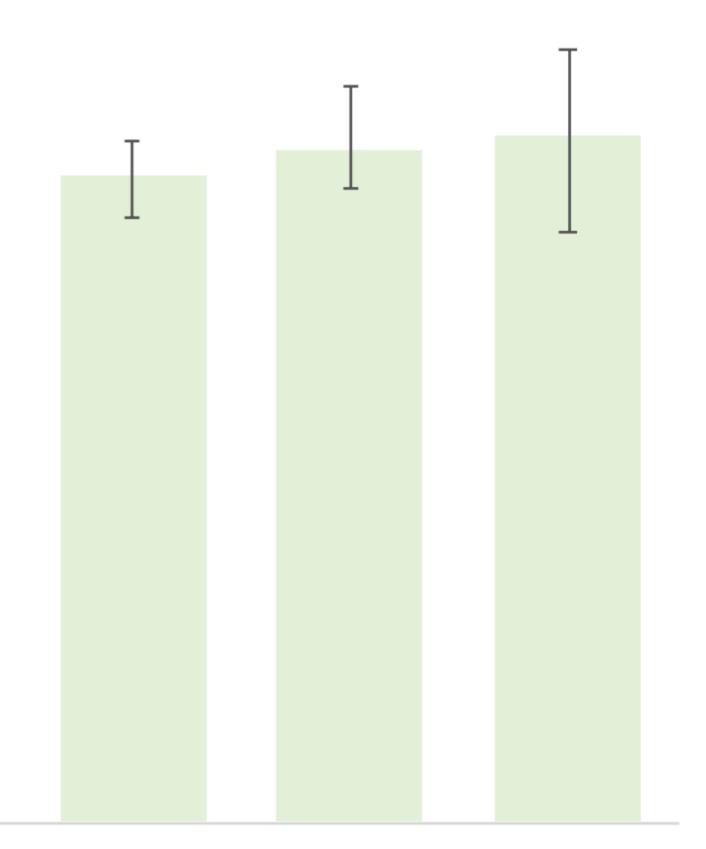
Average holistic rating of usefulness by students was 4.6 ± 0.018 out of 5.





No signs of bias by demographics





United India Nigeria States



Plan for Today

Non-Parametric Few-Shot Learning

- networks

Properties of Meta-Learning Algorithms

- Comparison of approaches

Example Meta-Learning Applications

language generation

- Siamese networks, matching networks, prototypical

- Case study of few-shot student feedback generation

- Imitation learning, drug discovery, motion prediction,

How can we think about how these methods compare?

Black-box vs. Optimization vs. Non-Parametric **Computation graph perspective**

Black-box $y^{\mathrm{ts}} = f_{\theta}(\mathcal{D}_i^{\mathrm{tr}}, x^{\mathrm{ts}})$ $y^{ ext{ts}} = f_{ ext{MAML}}(\mathcal{D})$ $= f_{\phi_i}(x^{\mathrm{ts}})$ where $\phi_i = \theta$ - $(x_1, y_1) (x_2, y_2) (x_3, y_3)$ x^{ts}

 $[\mathcal{D}^{va}]$ \mathcal{D}^{ti}

Both condition on data & run gradient descent.

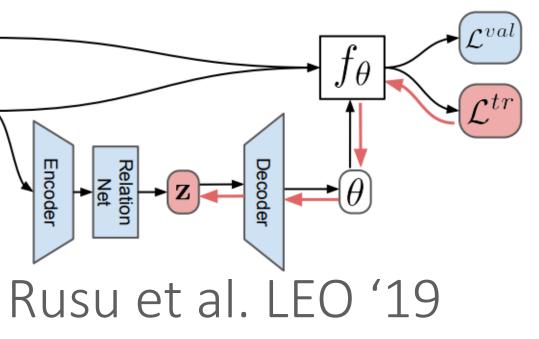
Jiang et al. CAML '19

- **Optimization-based**

Non-parametric

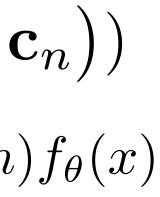
$$egin{aligned} \mathcal{D}_{i}^{ ext{tr}}, x^{ ext{ts}}) & y^{ ext{ts}} = f_{ ext{PN}}(\mathcal{D}_{i}^{ ext{tr}}, x^{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{softmax}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ heta}(x^{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ext{ts}}) & = ext{softmax}(-d\left(f_{ ext{ts}}(x, q_{ ext{ts}}), q_{ ext{ts}}), q_{ ex$$

Note: (again) Can mix & match components of computation graph Gradient descent on relation net embedding.



MAML, but initialize last layer as ProtoNet during meta-training

Triantafillou et al. Proto-MAML '19





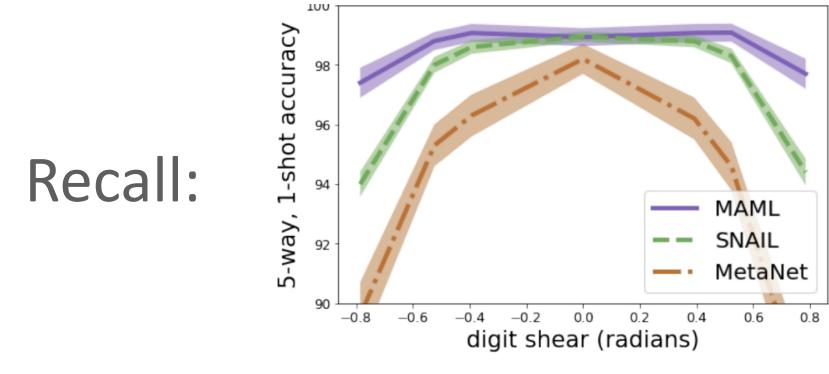
Black-box vs. Optimization vs. Non-Parametric Algorithmic properties perspective

the ability for f to represent a range of learning procedures scalability, applicability to a range of domains Why?

learned learning procedure will monotonically improve with more data reduce reliance on meta-training tasks, Why? good OOD task performance

Expressive power

Consistency



These properties are important for most applications!



Black-box vs. Optimization vs. Non-Parametric Black-box **Optimization-based**

- + complete expressive power
- not consistent
- + easy to combine with **variety of** learning problems (e.g. SL, RL)
- challenging optimization (no inductive bias at the initialization)
- often data-inefficient

- + consistent, reduces to GD
- ~ expressive for very deep models*
- + **positive inductive bias** at the start of meta-learning
- + handles varying & large K well
- + model-agnostic
- second-order optimization
- usually **compute** and **memory** intensive
- Generally, well-tuned versions of each perform comparably on many few-shot benchmarks! (likely says more about the benchmarks than the methods) Which method to use depends on your **use-case**.

- Non-parametric
- + expressive for most architectures
- ~ consistent under certain conditions
- + entirely **feedforward**
- + computationally fast & easy to
- optimize
- harder to generalize to varying K
- hard to scale to **very large K**
- so far, limited to classification

*for supervised learning settings





Black-box vs. Optimization vs. Non-Parametric Algorithmic properties perspective

- Why?

Why?

Why?

Uncertainty awareness

Expressive power

Consistency

the ability for f to represent a range of learning procedures scalability, applicability to a range of domains

learned learning procedure will monotonically improve with more data reduce reliance on meta-training tasks, good OOD task performance

> ability to reason about ambiguity during learning active learning, calibrated uncertainty, RL principled Bayesian approaches

> > We'll discuss this in 2 weeks!



Plan for Today

Non-Parametric Few-Shot Learning

- networks

Properties of Meta-Learning Algorithms - Comparison of approaches

Example Meta-Learning Applications

- Imitation learning, drug discovery, motion prediction, language generation

- Siamese networks, matching networks, prototypical

- Case study of few-shot student feedback generation

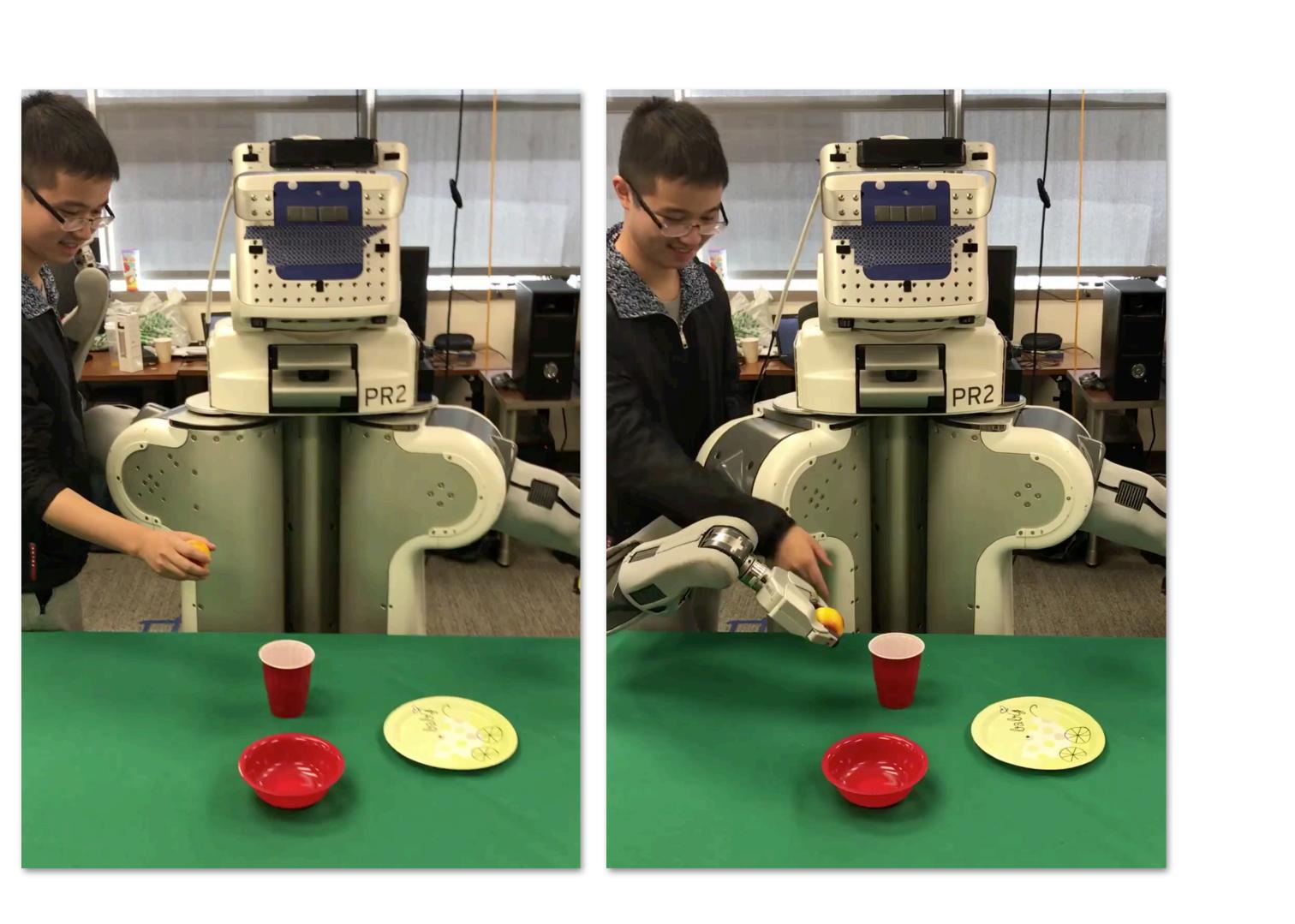
Application: One-Shot Imitation Learning

Tasks:

manipulating different objects

- $\mathscr{D}_{i}^{\mathrm{tr}}$: video of a human
- $\mathscr{D}_{i}^{\mathrm{ts}}$: teleoperated demonstration

Model: optimization-based MAML with *learned* inner loss



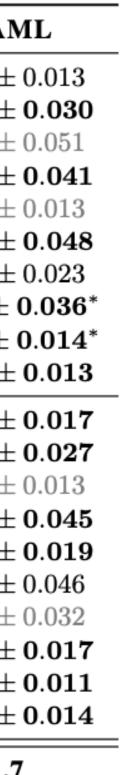
(Yu*, Finn* et al. One-Shot Imitation from Observing Humans. RSS 2018)

Application: Low-Resource Molecular Property Prediction

(Nguyen et al. Meta-Learning GNN Initializations for Low-Resource Molecular Property Prediction. 2020) [potentially useful for low-resource drug discovery problems]

		-				-
CHEMBL ID	K-NN	FINETUNE-ALL	FINETUNE-TOP	FO-MAML	ANIL	MAM
2363236	0.316 ± 0.007	0.328 ± 0.028	0.329 ± 0.023	0.337 ± 0.019	0.325 ± 0.008	0.332 ± 0
1614469	0.438 ± 0.023	0.470 ± 0.034	0.490 ± 0.033	0.489 ± 0.019	0.446 ± 0.044	0.507 ± 0
2363146	0.559 ± 0.026	0.626 ± 0.037	0.653 ± 0.029	0.555 ± 0.017	0.506 ± 0.034	0.595 ± 0.000
2363366	0.511 ± 0.050	0.567 ± 0.039	0.551 ± 0.048	0.546 ± 0.037	0.570 ± 0.031	0.598 ± 0
2363553	0.739 ± 0.007	0.724 ± 0.015	0.737 ± 0.023	0.694 ± 0.011	0.686 ± 0.020	0.691 ± 0
	0.607 ± 0.041	0.708 ± 0.036	0.595 ± 0.142	0.677 ± 0.026	0.692 ± 0.081	0.745 ± 0
						0.836 ± 0.000
						0.837 ± 0
						0.885 ± 0
1964116	0.709 ± 0.042	0.758 ± 0.044	0.769 ± 0.048	0.895 ± 0.023	0.903 ± 0.016	0.912 ± 0
2155446	0.471 ± 0.008	0.473 ± 0.017	0.476 ± 0.013	0.497 ± 0.024	0.478 ± 0.020	0.500 ± 0
1909204	0.538 ± 0.023	0.589 ± 0.031	0.577 ± 0.039	0.592 ± 0.043	0.547 ± 0.029	0.601 ± 0
1909213	0.694 ± 0.009	0.742 ± 0.015	0.759 ± 0.012	0.698 ± 0.024	0.694 ± 0.025	0.729 ± 0
3111197	0.617 ± 0.028	0.663 ± 0.066	0.673 ± 0.071	0.636 ± 0.036	0.737 ± 0.035	0.746 ± 0
	0.480 ± 0.042	0.552 ± 0.043	0.551 ± 0.045	0.729 ± 0.031	0.700 ± 0.050	0.764 ± 0
			0.455 ± 0.189			0.805 ± 0
						0.900 ± 0.000
						0.907 ± 0
						0.908 ± 0.047
1614549	0.710 ± 0.035	0.850 ± 0.041	0.860 ± 0.051	0.930 ± 0.022	0.860 ± 0.034	0.947 ± 0
AVG. RANK	5.4	3.5	3.5	3.1	4.0	1.7
	$\begin{array}{r} 2363236\\ 1614469\\ 2363146\\ 2363366\\ 2363553\\ 1963818\\ 1963945\\ 1614423\\ 2114825\\ 1964116\\ \hline 2155446\\ 1909204\\ 1909204\\ 1909213\\ 3111197\\ 3215171\\ 3215034\\ 1909103\\ 3215092\\ 1738253\\ 1614549\\ \hline \end{array}$	$\begin{array}{cccc} 2363236 & 0.316 \pm 0.007 \\ 1614469 & 0.438 \pm 0.023 \\ 2363146 & 0.559 \pm 0.026 \\ 2363366 & 0.511 \pm 0.050 \\ 2363553 & \textbf{0.739} \pm \textbf{0.007} \\ 1963818 & 0.607 \pm 0.041 \\ 1963945 & 0.805 \pm 0.031 \\ 1614423 & 0.503 \pm 0.044 \\ 2114825 & 0.679 \pm 0.027 \\ 1964116 & 0.709 \pm 0.042 \\ \hline & 2155446 & 0.471 \pm 0.008 \\ 1909204 & 0.538 \pm 0.023 \\ 1909213 & 0.694 \pm 0.009 \\ 3111197 & 0.617 \pm 0.028 \\ 3215171 & 0.480 \pm 0.042 \\ 3215034 & 0.474 \pm 0.072 \\ 1909103 & 0.881 \pm 0.026 \\ 3215092 & 0.696 \pm 0.038 \\ 1738253 & 0.710 \pm 0.048 \\ 1614549 & 0.710 \pm 0.035 \\ \hline \end{array}$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$





Application: Few-Shot Human Motion Prediction

(Gui et al. Few-Shot Human Motion Prediction via Meta-Learning. ECCV 2018) [potentially useful for human-robot interaction, autonomous driving]

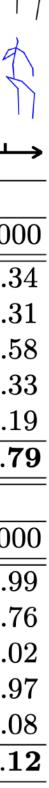
Tasks: Different human users & motions PA $\mathscr{D}_{i}^{\mathrm{tr}}$: past K time steps of motion $\mathcal{D}_{i}^{\text{ts}}$: future second(s) of motion \mathbf{resi} Model: Meta optimization-based/black-box hybrid MAML with additional resi learned update rule

Recurrent neural net base model

GT	R	R	R	R	R	R	R	R	R	•••	R	
AML	R	R	R	R	\mathbf{A}	\uparrow	\uparrow	\uparrow	\uparrow	•••	t	4

	Walking					Eating					
80	160	320	400	560	1000	80	160	320	400	560	100
$h_{\mathrm{spec}} \ 1.90$	1.95	2.16	2.18	1.99	2.00	2.33	2.31	2.30	2.30	2.31	2.3
$h_{agn} \parallel 1.78$	1.89	2.20	2.23	2.02	2.05	2.27	2.16	2.18	2.27	2.25	2.3
$\operatorname{fer}_{\operatorname{ots}} \ 0.60$	0.75	0.88	0.93	1.03	1.26	0.57	0.70	0.91	1.04	1.19	1.5
$- task \parallel 0.57$	0.71	0.79	0.85	0.96	1.12	0.59	0.68	0.83	0.93	1.12	1.3
$\operatorname{fer}_{\mathrm{ft}} \ 0.44$	0.55	0.85	0.95	$\left 0.74 \right $	1.03	0.61	0.65	0.74	0.78	0.86	1.1
0.35	0.47	0.70	0.82	0.80	0.83	0.36	0.52	0.65	0.70	0.71	0.7
	Smoking					Discussion					
80	160	320	400	560	1000	80	160	320	400	560	100
$h_{\mathrm{spec}} \ 2.88$	2.86	2.85	2.83	2.80	2.99	3.01	3.13	3.12	2.95	2.62	2.9
$h_{agn} \parallel 2.53$	2.61	2.67	2.65	2.71	2.73	2.77	2.79	2.82	2.73	2.82	2.7
$\operatorname{fer}_{\operatorname{ots}} \ 0.70$	0.84	1.18	1.23	1.38	2.02	0.58	0.86	1.12	1.18	1.54	2.0
$- task \parallel 0.71$	0.79	1.09	1.20	1.25	1.23	0.53	0.82	1.02	1.17	1.33	1.9
$\operatorname{fer}_{\mathrm{ft}} \ 0.87$	1.02	1.25	1.30	1.45	2.06	0.57	0.82	1.11	1.11	1.37	2.0
0.39	0.66	0.81	1.01	1.03	1.01	0.41	0.71	1.01	1.02	1.09	1.1
		$\begin{array}{c c c c c c c } \hline lint black \\ \hline ch_{\rm spec} \\ \hline ch_{\rm agn} \\ \hline fer_{\rm ots} \\ \hline fer_{\rm ots} \\ \hline 0.60 \\ 0.75 \\ \hline 0.71 \\ \hline 0.44 \\ 0.55 \\ \hline 0.35 \\ \hline 0.47 \\ \hline 0.35 \\ \hline 0.47 \\ \hline 0.35 \\ \hline 0.47 \\ \hline 0.47 \\ \hline 0.35 \\ \hline 0.47 \\ \hline 0.47 \\ \hline 0.55 \\ \hline 0.70 \\ \hline 0.84 \\ \hline ch_{\rm agn} \\ \hline fer_{\rm ots} \\ \hline 0.70 \\ 0.84 \\ \hline 0.71 \\ 0.79 \\ \hline fer_{\rm ft} \\ \hline 0.87 \\ 1.02 \\ \hline \end{array}$	$\begin{array}{ c c c c c } \hline 80 & 160 & 320 \\ \hline 80 & 1.60 & 320 \\ \hline \ 2h_{\rm spec} & 1.90 & 1.95 & 2.16 \\ \hline \ 2h_{\rm agn} & 1.78 & 1.89 & 2.20 \\ \hline \ fer_{\rm ots} & 0.60 & 0.75 & 0.88 \\ \hline \ 0.60 & 0.75 & 0.88 \\ \hline \ 0.57 & 0.71 & 0.79 \\ \hline \ fer_{\rm ft} & 0.44 & 0.55 & 0.85 \\ \hline \ 0.35 & 0.47 & 0.70 \\ \hline \ 0.35 & 0.47 & 0.70 \\ \hline \ 80 & 160 & 320 \\ \hline \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$

mean angle error w.r.t. prediction horizon



Closing note for today

- - $\mathscr{D}_i^{\mathrm{tr}}$ could have:
 - noisy labels
 - weakly supervised
 - domain shift
 - etc.

 $\mathscr{D}_i^{\mathrm{tr}}$ and $\mathscr{D}_i^{\mathrm{ts}}$ do not need to be sampled independently from \mathscr{D}_i .

Plan for Today

Non-Parametric Few-Shot Learning

- Siamese networks, matching networks, prototypical networks
- Case study of few-shot student feedback generation

Properties of Meta-Learning Algorithms - Comparison of approaches

Example Meta-Learning Applications - Imitation learning, drug discovery, motion prediction,

language generation

Goals for by the end of lecture:

- Trade-offs between black-box, optimization-based, and non-parametric meta-learning Familiarity with applied formulations of meta-learning 43
- Basics of non-parametric few-shot learning techniques (& how to implement)



Course Logistics

Lecture Topics

Done with meta-learning algorithms! **Next week**: unsupervised pre-training

Coursework

Homework 1 due tonight. Homework 2 released, due Mon 10/24.

Project mentors to be assigned this week. Project proposal due next Weds 10/19. (graded lightly, for your benefit)